

2026



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# AP<sup>®</sup> Physics C: Electricity and Magnetism

## Free-Response Questions

**PHYSICS C: ELECTRICITY AND MAGNETISM**  
**SECTION II**  
**TIME – 1 HOUR AND 40 MINUTES**

**Directions:**

Section II has 4 questions and lasts 1 hour and 40 minutes.

You may use the available paper for scratch work and planning, but only work written in the free-response booklet will be scored. Any work done on scratch paper will not be scored. Label parts (e.g., A, B, C) and sub-parts (e.g., i, ii, iii) as needed. Use a pencil or a pen with black or dark blue ink to write your responses.

A calculator is allowed in this section, as well as a ruler and straightedge. You may use a handheld four-function, scientific, or graphing calculator, or the calculator available in this application. Reference information, including lists of equations, can be used throughout the exam. A digital version is available in this application.

All final numerical answers should include appropriate units when applicable. Credit for your work depends on demonstrating that you know which physical principles to apply in a particular situation. Credit will be awarded only for work that is clearly designated as the solution to a specific part of a question. Credit also depends on the quality of your solutions and explanations. Therefore, you should show your work for each part in the space provided for that part. If you need more space, be sure to clearly indicate where you continue your work. When constructing a graph or diagram, use only one color of ink or pencil.

You may pace yourself as you answer the questions in this section, or you may use these optional timing recommendations:

It is suggested that you spend about 25 minutes each on Questions 1 and 3, about 30 minutes on Question 2, and about 20 minutes on Question 4.

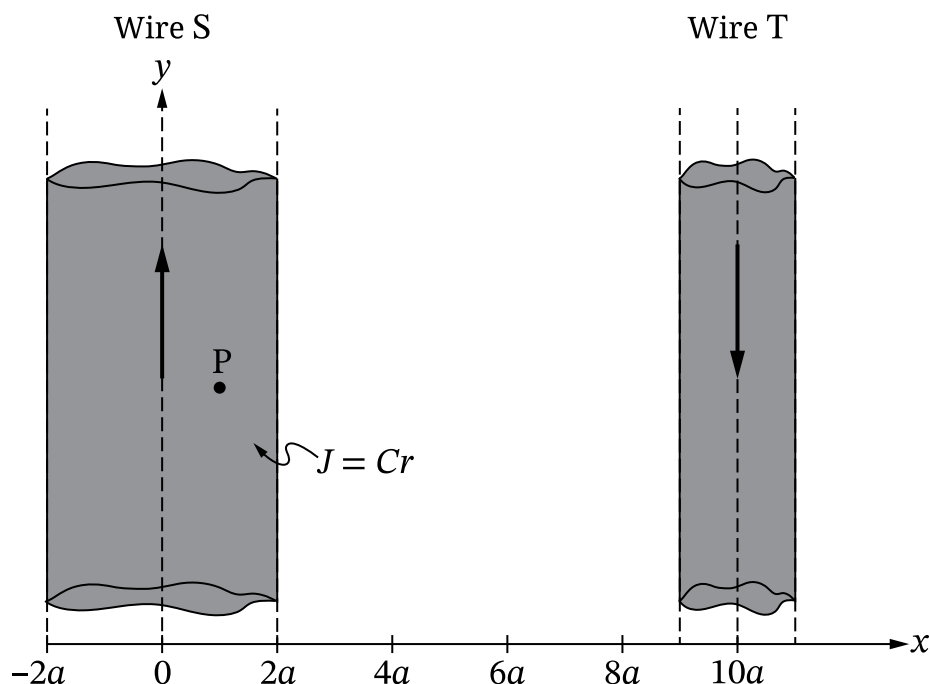
You can go back and forth between questions in this section until time expires. The clock will turn red when 5 minutes remain—**the proctor will not give you any time updates or warnings.**

Note: This exam was originally administered digitally. It is presented here in a format optimized for teacher and student use in the classroom.

During the AP Exam administration, students have access to reference information. To see the reference information for this course, please visit AP Central:  
<https://apcentral.collegeboard.org/exam-administration-ordering-scores/administering-exams/subject-specific/reference-information>

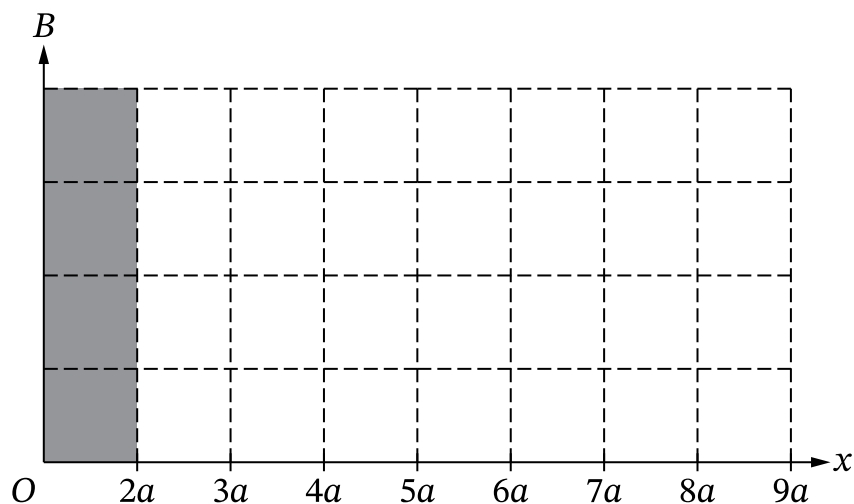
**Question 1: Version J**

1. Two very long, cylindrical, current-carrying Wires S and T are oriented parallel to the  $y$ -axis, as shown in Figure 1. The centers of the wires are in the  $xy$ -plane. The wires are described as follows.
- Wire S has radius  $2a$  and is centered at  $x = 0$ . Wire S has nonuniform current density and carries total current  $I_0$  in the  $+y$ -direction. The magnitude of the current density in Wire S as a function of the radial distance  $r$  from the center of the wire is described by  $J = Cr$ , where  $C$  is a positive constant.
  - Wire T has radius  $a$  and is centered at  $x = 10a$ . Wire T has uniform current density and carries total current  $I_0$  in the  $-y$ -direction.

**Figure 1****Part A**

- Point P is located inside of Wire S at horizontal position  $x = a$ . **Derive** an expression for the magnitude of the magnetic field at Point P due only to the current in Wire S in terms of  $C$ ,  $a$ , and physical constants, as appropriate. Begin your derivation by writing a fundamental physics principle or an equation from the reference information.
- On the axes shown in Figure 2, **sketch** a graph of the magnitude  $B$  of the magnetic field due to the currents in both wires as a function of  $x$  along the  $x$ -axis in the region  $2a \leq x \leq 9a$ . Sketches made in the shaded region will not be graded.

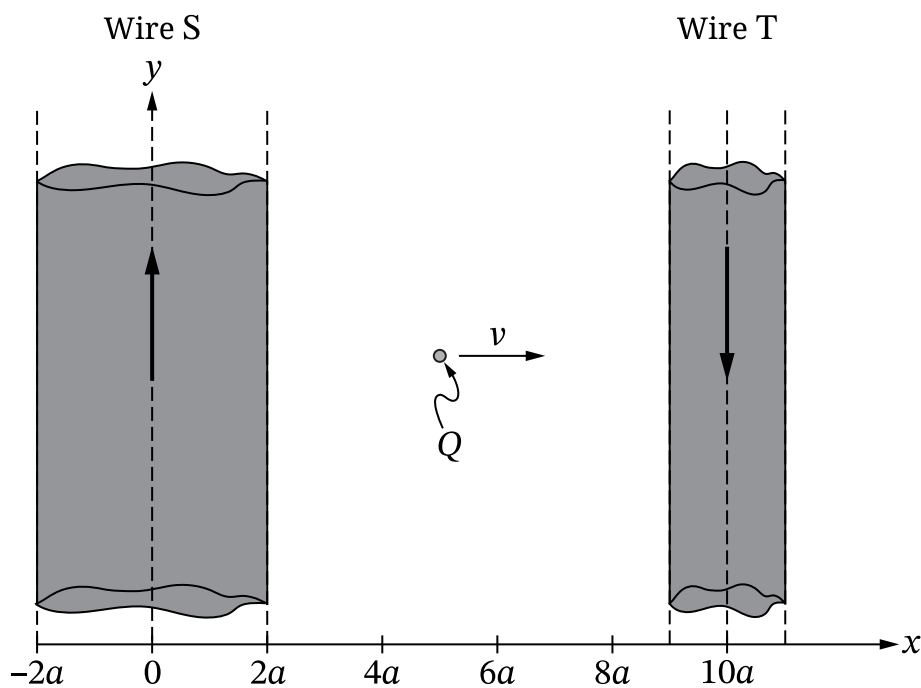
Figure 2



**Part B**

At the instant shown in Figure 3, a small sphere with charge  $Q$  is at horizontal position  $x = 5a$  and moving in the  $xy$ -plane with speed  $v$  in the  $+x$ -direction. At this instant, the net magnetic force exerted on the sphere due to the currents in Wires S and T has magnitude  $F$ .

Figure 3

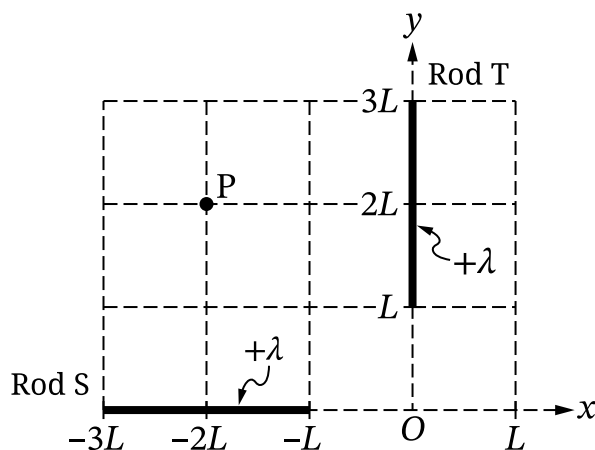


**Derive** an expression for  $F$  in terms of  $a$ ,  $Q$ ,  $I_0$ ,  $v$ , and physical constants, as appropriate. Begin your derivation by writing a fundamental physics principle or an equation from the reference information.

**Question 2: Version J**

2. Thin, nonconducting, charged Rods S and T are held fixed in the  $xy$ -plane, as shown in Figure 1. Rod S is oriented along the  $x$ -axis in the region  $-3L \leq x \leq -L$ . Rod T is oriented along the  $y$ -axis in the region  $L \leq y \leq 3L$ . Each rod has uniform, positive linear charge density  $+\lambda$ . Point P is located at  $(-2L, 2L)$ .

**Figure 1**

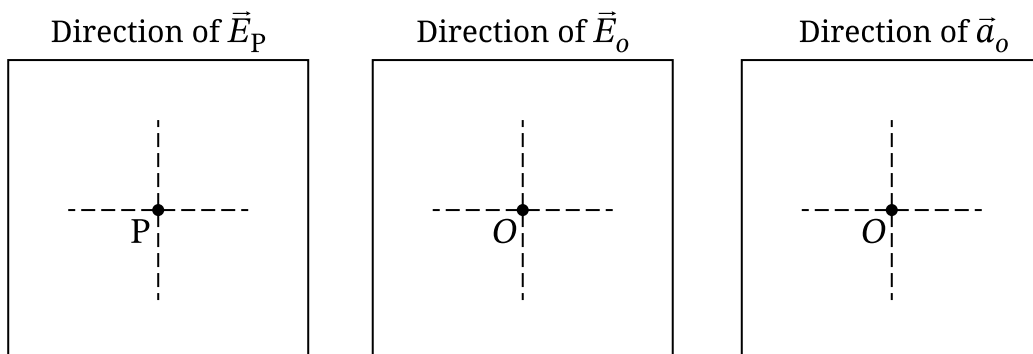


**Part A**

Complete the following tasks in Figure 2.

- **Draw** an arrow starting on the dot that indicates the direction of the net electric field  $\vec{E}_P$  at Point P due to Rods S and T.
- **Draw** an arrow starting on the dot that indicates the direction of the net electric field  $\vec{E}_O$  at the origin O due to Rods S and T.
- **Draw** an arrow starting on the dot that indicates the direction of the net acceleration  $\vec{a}_O$  of a small, negatively charged sphere (not shown) immediately after the sphere is released from rest at the origin O.

**Figure 2**



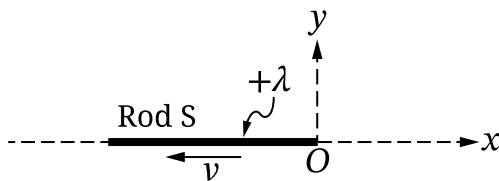
**Part B**

**Derive** an expression for the magnitude  $E_O$  of the net electric field at the origin  $O$  due to Rods S and T in terms of  $L$ ,  $\lambda$ , and physical constants, as appropriate. Begin your derivation by writing a fundamental physics principle or an equation from the reference information.

**Part C**

Rod T is removed. Rod S is then moved such that the right end of Rod S is at the origin  $O$ . Rod S is then moved with speed  $v$  in the  $-x$ -direction, as shown in Figure 3.

**Figure 3**



On the axes shown in Figure 4, **sketch** a graph of the electric potential  $V_O$  at the origin  $O$  due to Rod S as a function of the distance  $r$  between the origin and the right end of Rod S.

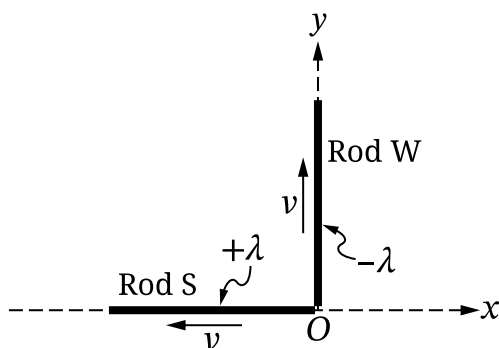
**Figure 4**



**Part D**

A new thin, nonconducting, charged Rod W has the same length as Rod S. Rod W has uniform, negative linear charge density  $-\lambda$  and is oriented along the  $y$ -axis. Rods S and W are initially held fixed with one end at the origin. Starting at the same time, Rod S is moved with speed  $v$  in the  $-x$ -direction and Rod W is moved with speed  $v$  in the  $+y$ -direction, as shown in Figure 5.

**Figure 5**



**Indicate** how a sketch of  $V_O$  at the origin  $O$  due to both Rods S and W as a function of  $r$  would be different from the sketch made in part C. Briefly **justify** your answer.

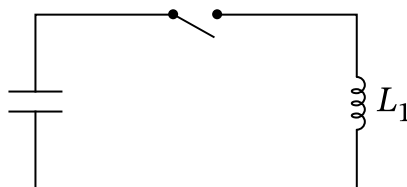
**Question 3**

The following information applies to parts A and B.

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3. In Experiment 1, students are asked to collect data that can be graphed to determine the inductance  $L_1$  of an inductor. The students have access to multiple charged capacitors, each of a different known capacitance, and a voltmeter that measures potential difference as a function of time. In each trial, the inductor is connected to a charged capacitor and an initially open switch, as shown in Figure 1.

Figure 1

**Part A**

- Indicate** quantities that could be measured by the students that would allow them to determine  $L_1$  using a linear graph.
- Briefly **describe** a method to reduce experimental uncertainty.

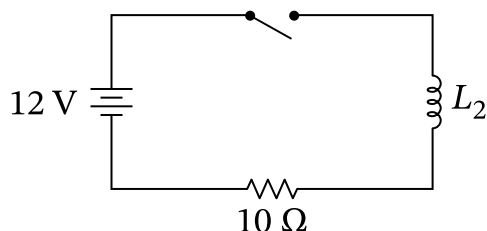
**Part B**

- Indicate** what quantities the students could graph on the horizontal and vertical axes to create a linear graph that can be used to determine  $L_1$ .
- Briefly **describe** the relationship between  $L_1$  and a feature of the graph from part B (i). Your answer may include an equation that relates  $L_1$  and the chosen feature of the graph.

The following information applies to parts C and D.

In Experiment 2, the students are asked to use a graph to determine the inductance  $L_2$  of a new inductor. The inductor is connected to a 12 V battery, a  $10\ \Omega$  resistor, and an initially open switch, as shown in Figure 2.

Figure 2



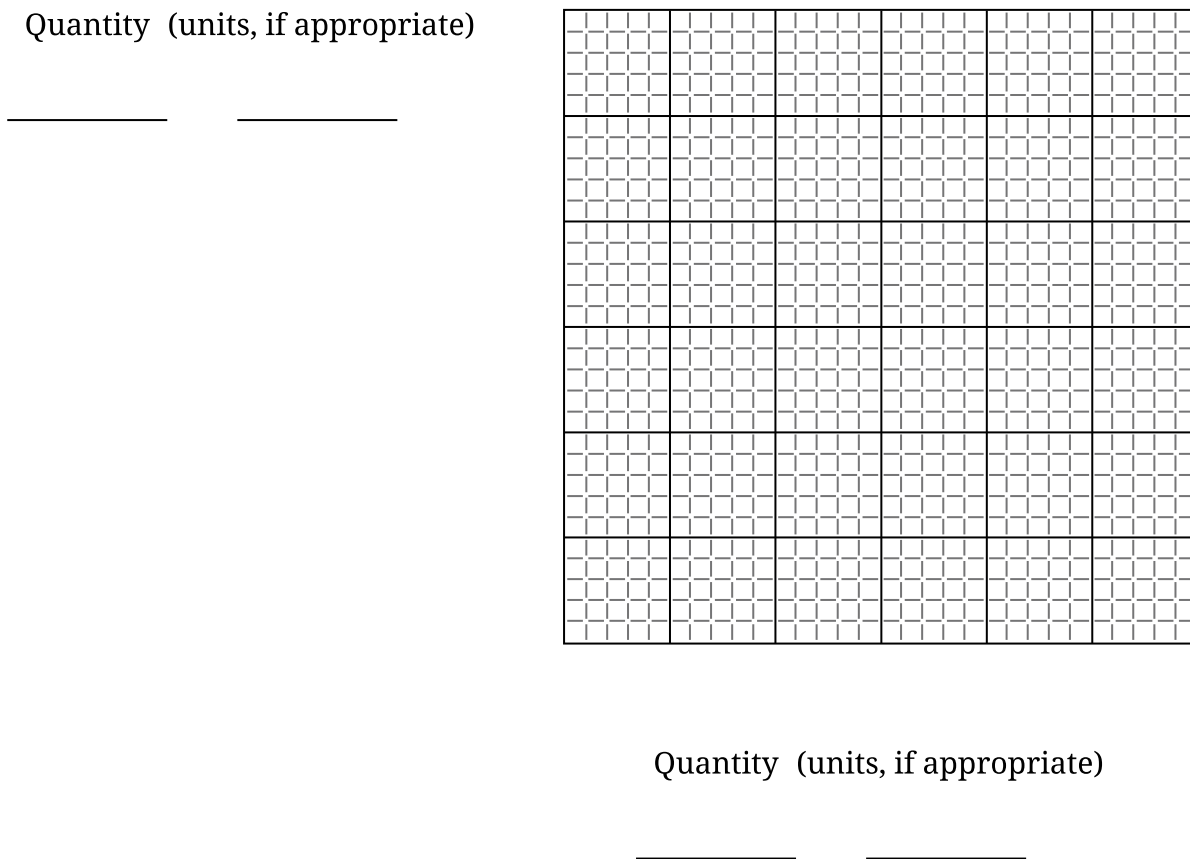
After the switch is closed, the current  $I$  in the circuit is measured at different times and the corresponding rate of change of the current,  $\frac{dI}{dt}$ , is determined. The collected data are shown in Table 1.

Table 1

$I$ (A)	$\frac{dI}{dt}$ (A/s)
0.40	280
0.50	230
0.75	150
0.90	100
1.00	68

**Part C**

- i. **Label** the axes of the grid provided with measured or calculated quantities. Include units, as appropriate. The graphed quantities should yield a linear graph that can be used to determine  $L_2$ .
- ii. On the grid provided, create a graph of the quantities indicated in part C (i).
  - Clearly **label** each axis with a numerical scale.
  - **Plot** the corresponding data points on the grid.
  - Table 2 is provided in your booklet for scratch work and will not be scored.



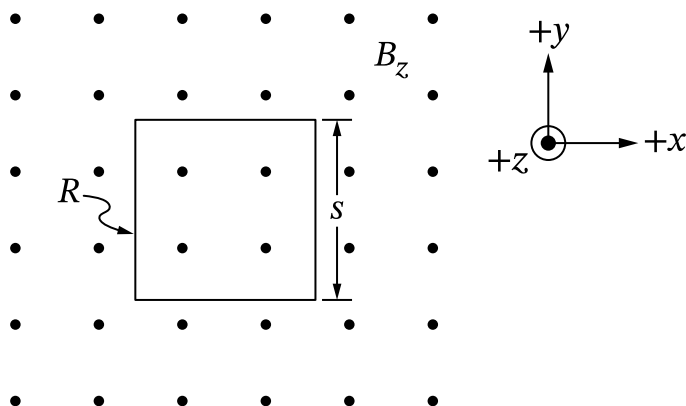
- iii. **Draw** a best-fit line for the data plotted in part C (ii).

**Part D**

Using the best-fit line that you drew in part C (iii), **calculate** an experimental value for  $L_2$ .

### Question 4

4. In Scenario 1, a square conducting loop with side length  $s$  has total resistance  $R$ . The loop is held fixed in the  $xy$ -plane in an external, uniform, time-varying magnetic field that is initially directed in the  $+z$ -direction, as shown. The  $z$ -component of the magnetic field changes as a function of time  $t$  as described by  $B_z = B_0 \cos\left(2\pi\frac{t}{t_1}\right)$ , where  $B_0$  and  $t_1$  are positive constants.



#### Part A

**Indicate** whether the induced current  $I$  in the loop is clockwise, counterclockwise, or zero during the time interval  $0 < t < \frac{t_1}{4}$  by writing one of the following.

- $I$  is clockwise.
- $I$  is counterclockwise.
- $I$  is zero.

**Justify** your answer without only manipulating equations.

#### Part B

**Derive** an expression for  $I$  as a function of  $t$  in terms of  $s$ ,  $R$ ,  $B_0$ ,  $t_1$ ,  $t$ , and physical constants, as appropriate. Begin your derivation by writing a fundamental physics principle or an equation from the reference information.

**Part C**

In Scenario 2, a new square conducting loop with side length  $2s$  and total resistance  $2R$  is placed in the same external, uniform, time-varying magnetic field as in Scenario 1.

**Indicate** whether the maximum induced current  $I_2$  in Scenario 2 is greater than, less than, or equal to the maximum induced current  $I_1$  in Scenario 1 by writing one of the following.

- $I_2 > I_1$
- $I_2 < I_1$
- $I_2 = I_1$

Briefly **justify** your answer by referencing the expression you derived in part B.

**STOP**  
**END OF EXAM**